



Advanced Parameter Imaging of Solar Cells

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Solar Cell Characterization

➤ Need for characterization

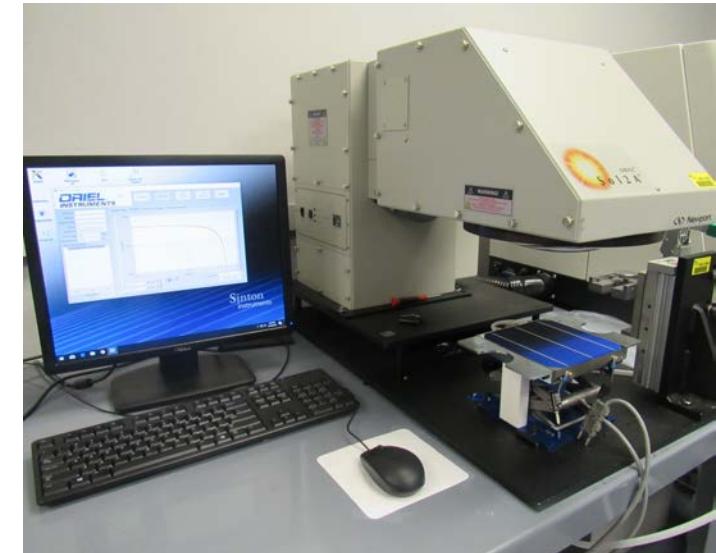
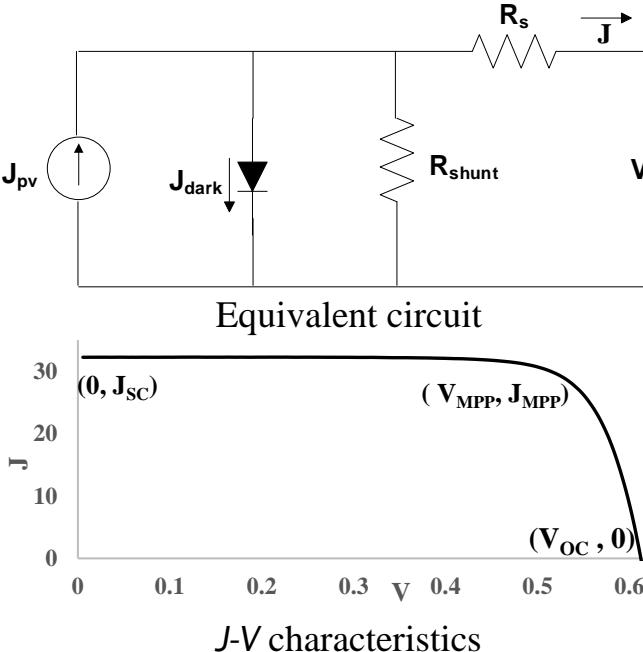
- How they operate
- Engineering them to be better

➤ Parameters

- Open circuit voltage, V_{OC}
- Short circuit density, J_{SC}
- Fill factor, FF
- Series resistance, R_S
- Dark sat. current density, J_0

$$J = J_{pv} - J_{dark} - J_{shunt}$$

$$J = J_{pv} - J_0 \left[\exp\left(\frac{V + R_S * J}{nKT}\right) - 1 \right] - \frac{V + R_S * J}{R_{shunt}}$$



Solar simulator

Efficiency

$$\eta = \frac{V_{MPP} * J_{MPP}}{P_{in}} = \frac{V_{OC} * J_{SC} * FF}{P_{in}}$$

➤ Variation of parameters over surface

- Identify, decouple and quantify losses; better design; quantifying variation and process control

Luminescence Imaging

- Key features
 - 808 nm laser
 - 920 nm filter, 1MP CCD camera
- Luminescence measurement
 - PL: optical excitation
 - EL: electrical excitation
 - Biased PL: optical + electrical



Luminescence measurement

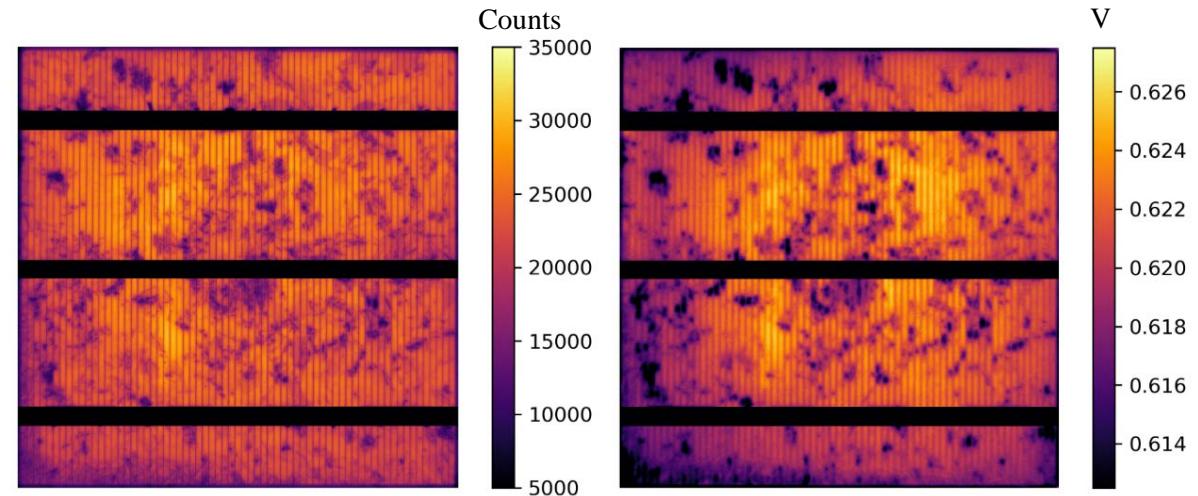
- Key equations

$$V_{xy} = V_T \cdot \log \left(\frac{I_{Hxy} - B_{xy} \cdot I_H}{C_{xy}} \right)$$

$$B_{xy} = \frac{I_{xy-SC}}{I_{L-SC}}$$

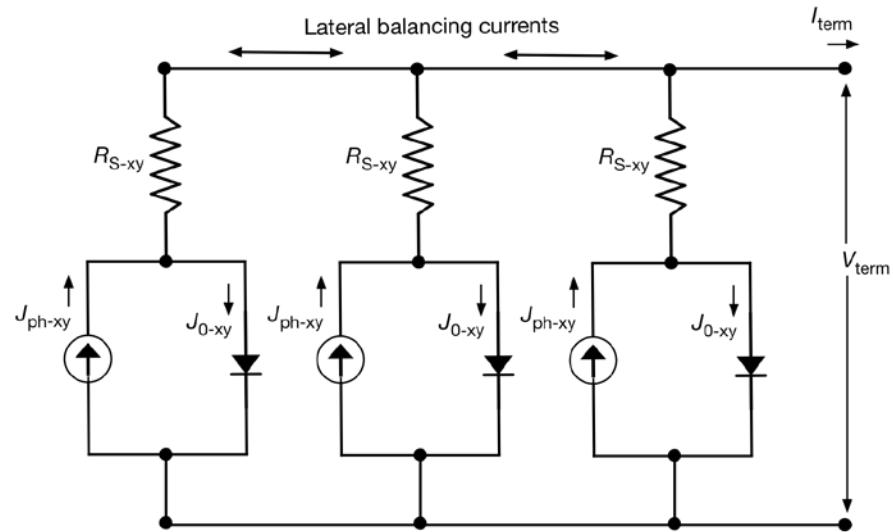
$$C_{xy} = I_{Lxy} \cdot \exp \left(\frac{V_{OC-L}}{V_T} \right)$$

- B: background, C: calibration constant

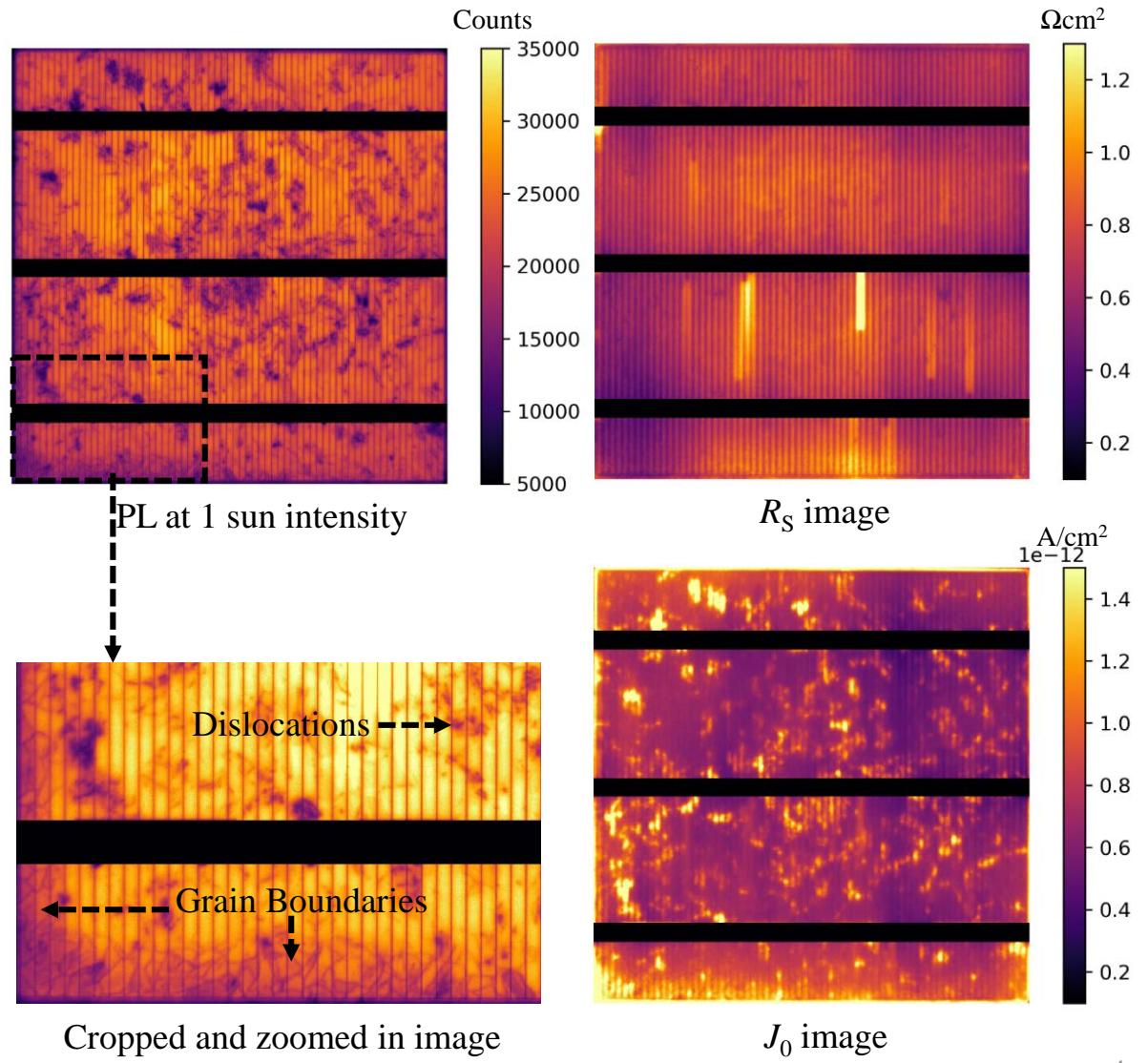


Identifying and Quantifying Losses

- Terminal connected diode model
 - Combination of parallel diodes
 - Local parameters are different



$$V_{term} - V_{xy} = R_{xy} \left[J_{0-xy} * \exp\left(\frac{V_{xy}}{nV_T}\right) - J_{ph-xy} \right]$$



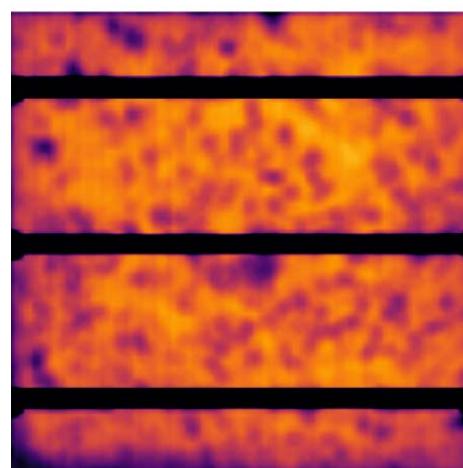
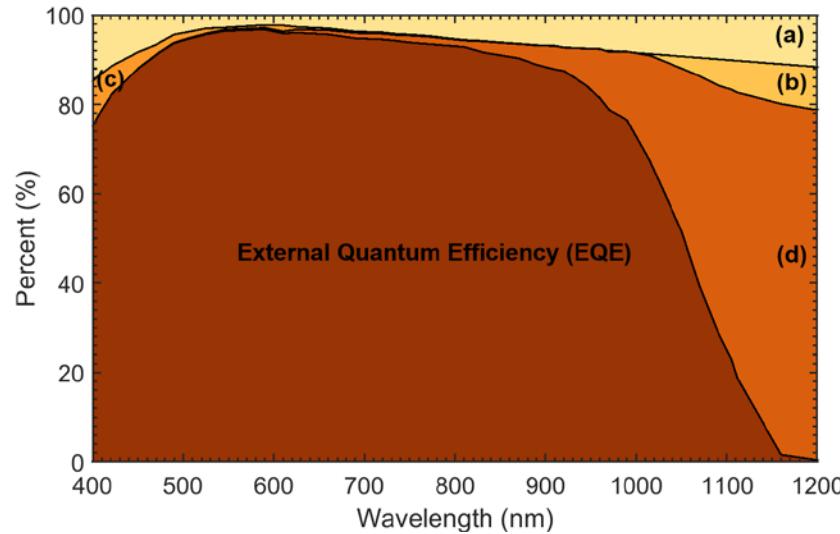
High Speed Quantum Efficiency Imaging

➤ *EQE and R measurement (FlashQE)*

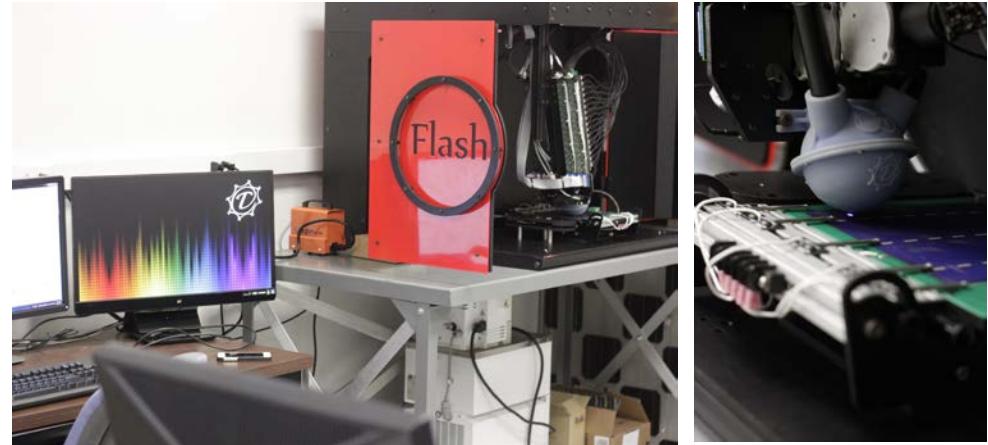
- *EQE and Reflectance (R)*
- Point by point scanning
- Discrete wavelengths
- 365 nm to 1280 nm
- Integrated sphere

$$J_{sc} = e \int_{365 \text{ nm}}^{1280 \text{ nm}} E \text{ } QE(\lambda) \phi_{in}(\lambda) \text{ } d\lambda$$

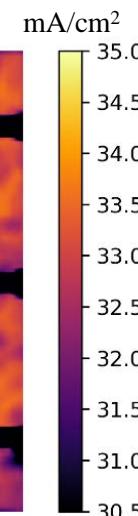
$$IQE(\lambda) = \frac{EQE(\lambda)}{1 - R}$$



J_{sc} image



FlashQE (for *EQE* and *R* measurement)



Reflection loss

- a. Front reflection
- b. Escape reflection

Parasitic Absorption & Recombination

- c. Emitter loss
- d. Loss in bulk and rear

High Speed Quantum Efficiency Imaging (Cont...)

- EQE measurement

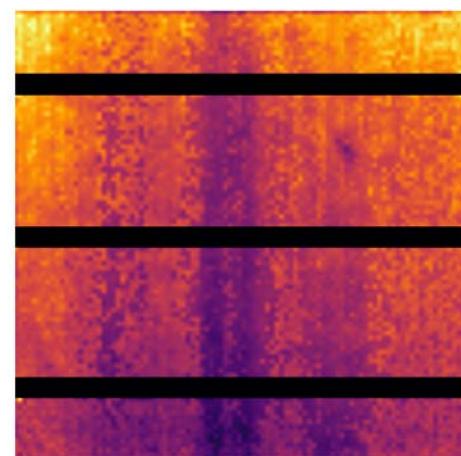
$$IQE(\lambda) = \frac{1}{k} \exp\left(-\frac{W_d}{L_a(\lambda)}\right) \frac{1}{1 + \frac{L_a(\lambda)}{L_{eff}}}$$

$$A_{e,I}(\lambda) = 1 - IQE(\lambda) \cdot \left(1 - \frac{L_a(\lambda)}{L_{eff}}\right)$$

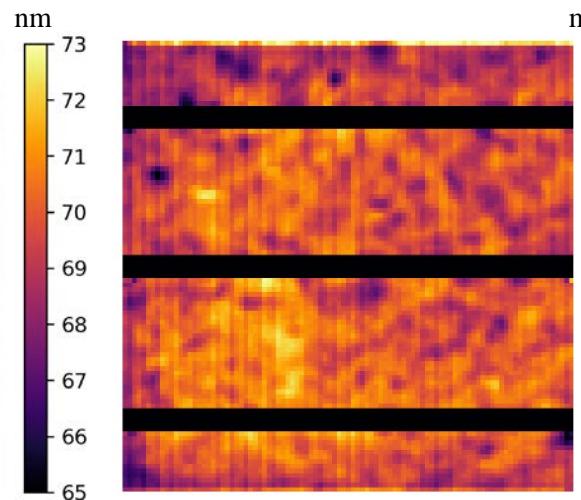
$$A_{e,II}(\lambda) = 1 - \exp\left(-\frac{W_d}{L_a(\lambda)}\right)$$

- R measurement

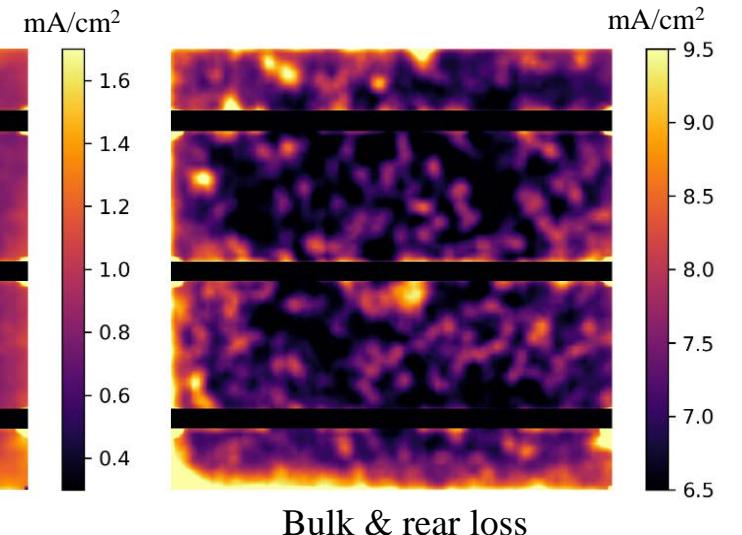
$$t = \frac{\lambda_{min}}{4n}$$



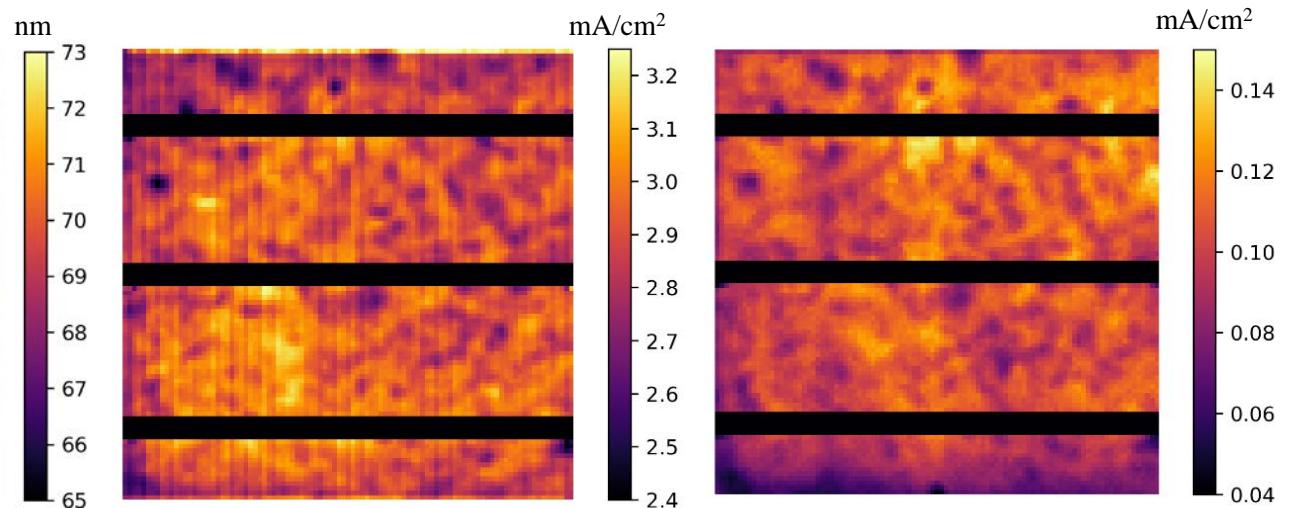
ARC thickness



Front reflectance loss



Bulk & rear loss

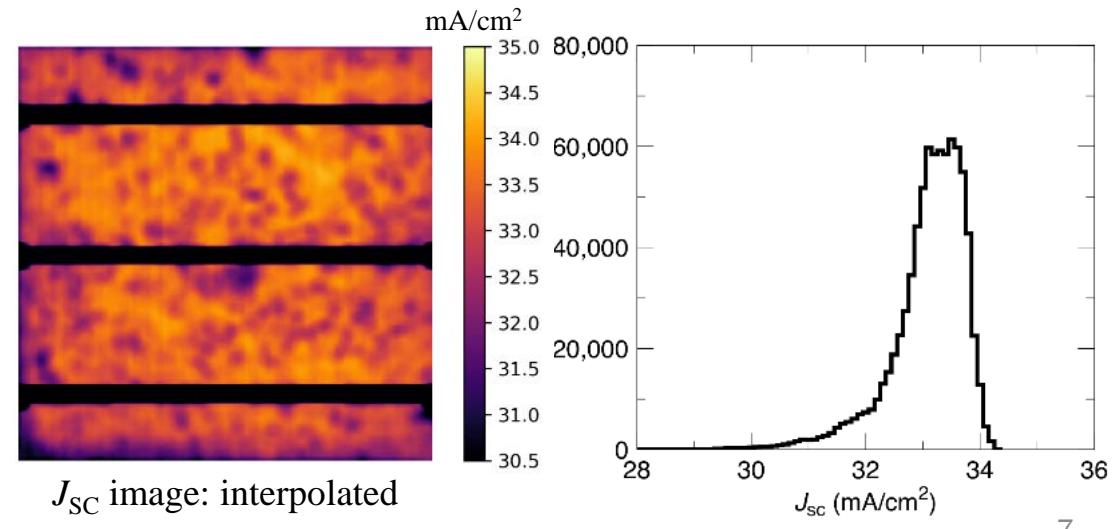
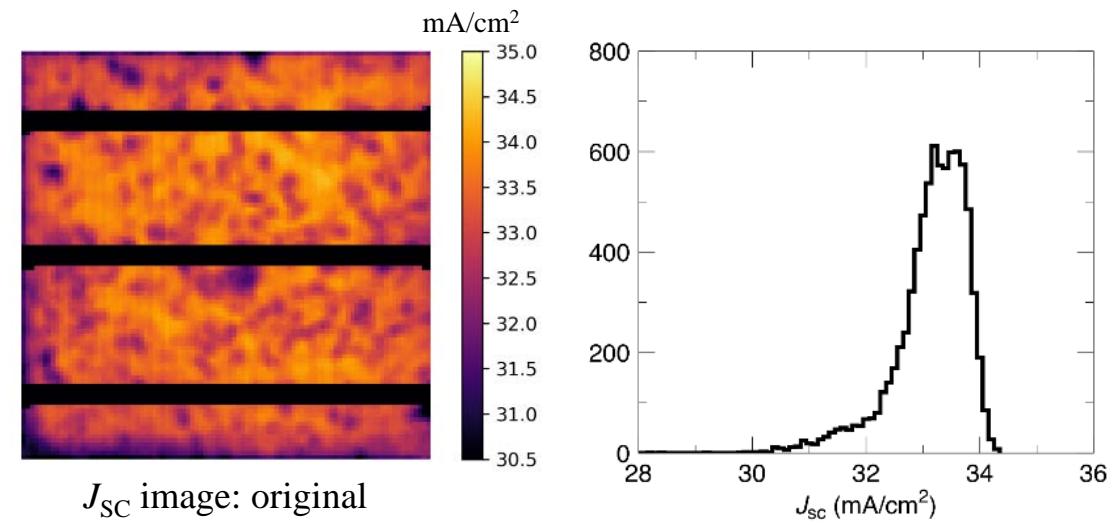
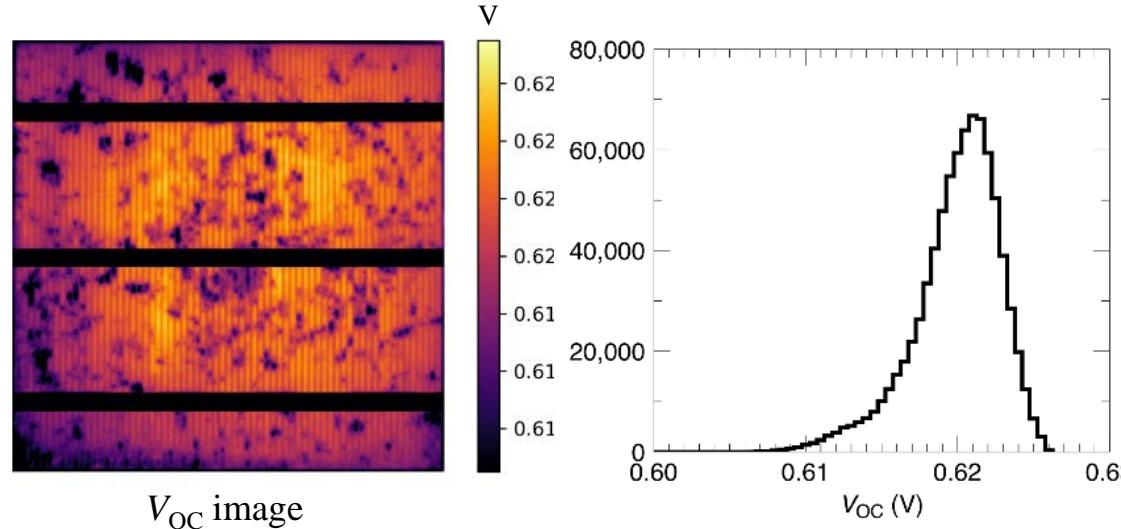


Escape reflectance loss

Incorporation of J_{SC-xy} with PL

$$V_{term} - V_{xy} = R_{xy} \left[J_{0-xy} * \exp\left(\frac{V_{xy}}{nV_T}\right) - J_{ph-xy} \right]$$

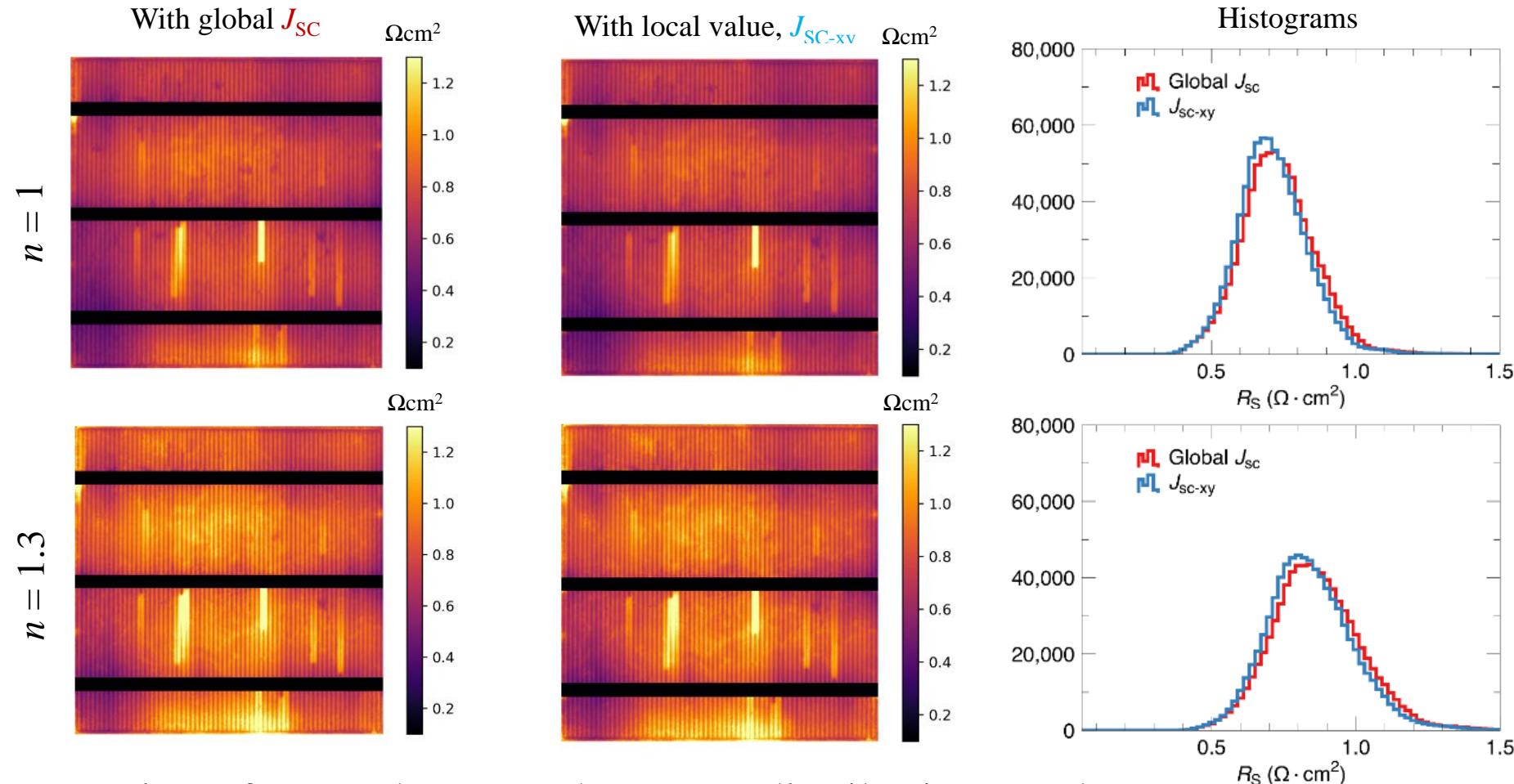
- Spatially resolved J_{SC}
 - A uniform J_{SC} is normally used in literature
 - Concerns about accuracy with J_{SC} ^{1,2,3}
- Cell parameters from *IV* measurement
 - J_{SC} : 32.2 mA/cm², V_{OC} : 0.612 V
 - n : 1.3, R_S : 0.2 Ωcm², J_0 : 3.39x10⁻¹⁰ A/cm²



¹C. Shen et al., *Sol. En. Mat. Sol. Cells* **123**, 41–46 (2014) ²H. Hoffler et al., *IEEE J. PV* **5**, 613–618 (2015) ³F. Fertig et al, *Energy Procedia* **77**, 43–56 (2015)

Incorporation of $J_{SC\text{-}xy}$ with PL: R_S

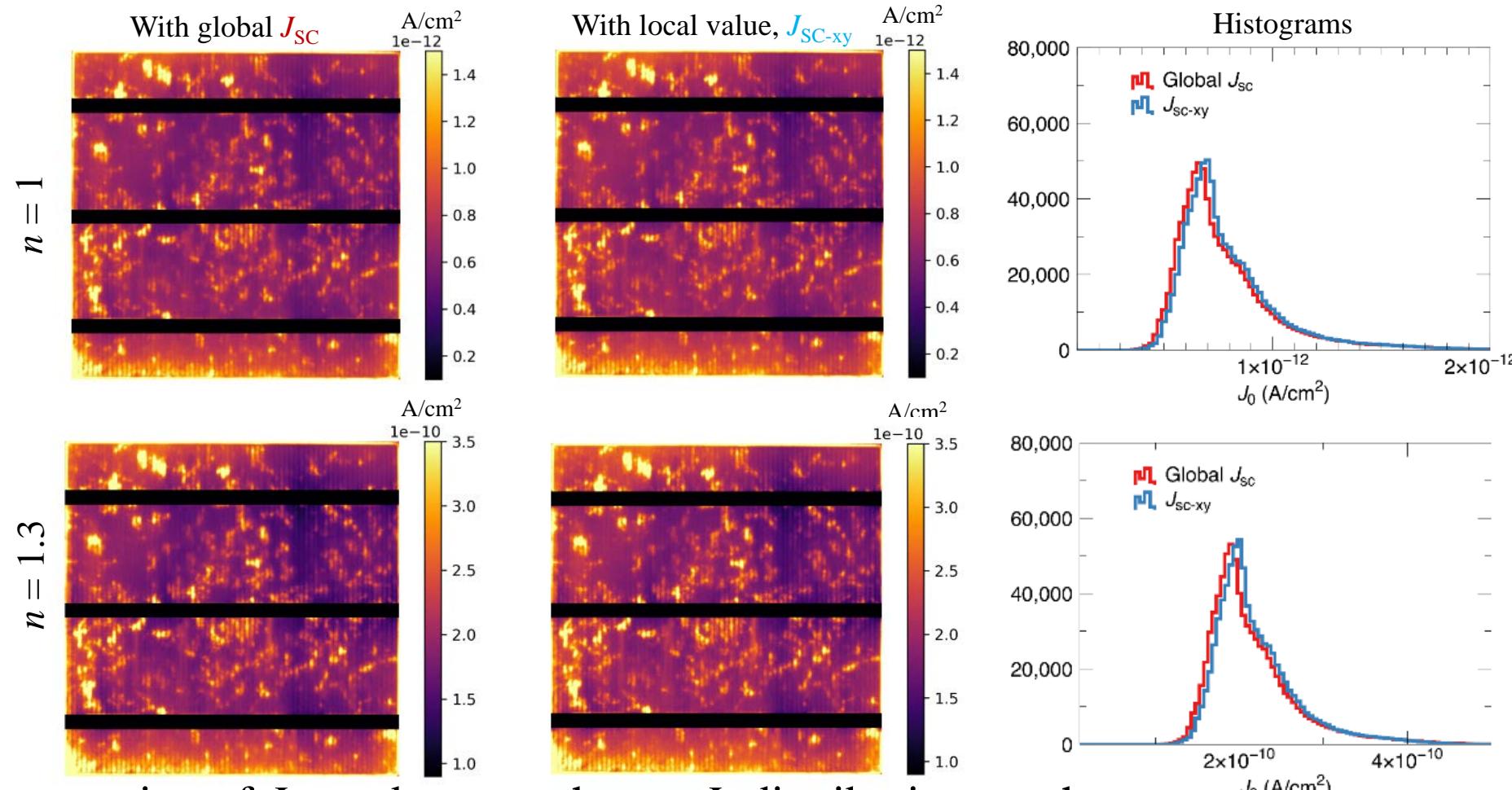
Cell $R_S=0.2 \Omega\text{cm}^2$



- Incorporation of $J_{SC\text{-}xy}$ does not change R_S distribution much
 - Using J_{SC} is safe
 - With $n=1.3$, distribution widens, mode being unchanged

Incorporation of J_{SC-xy} with PL: J_0

Cell $J_0 = 3.39 \times 10^{-10} \text{ A/cm}^2$

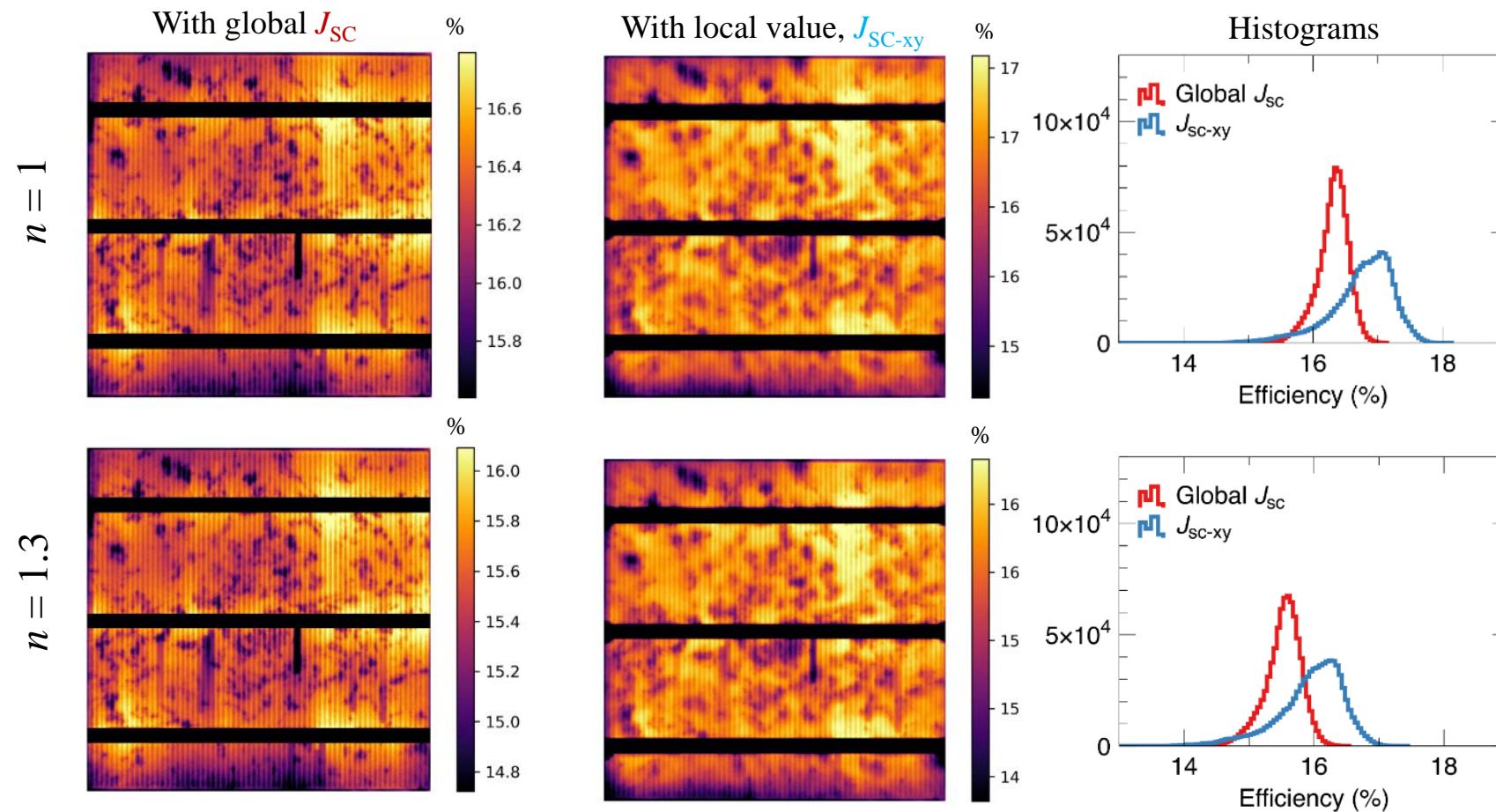


- Incorporation of J_{SC-xy} does not change J_0 distribution much
 - Using J_{SC} is safe
 - Recombination shifts to higher value with $n=1.3$ (practical diode) 9

Incorporation of J_{SC-xy} with PL: Efficiency (J-V curve fitting)

Cell $\eta = 15.4\%$

$$J_{xy} = J_{sc-xy} - J_{0-xy} \left[\exp \left(\frac{V_{xy} + R_{xy} * J_{sc-xy}}{nV_T} \right) - 1 \right]$$



- Incorporation of J_{SC-xy} changes efficiency distribution drastically
 - Using J_{SC-xy} is better
 - $n=1.3$ provides reduced efficiency

Conclusion and Acknowledgement

- Parameter images are important
 - Decoupling losses and finding their root causes
 - Making better performing solar cells
- Incorporation of J_{SC-xy} with PL
 - More accurate representation of parameter images
 - Not so much impact on R_S and J_0 but big impact on efficiency images





Thank You
Questions?



Solar Cell Structure

